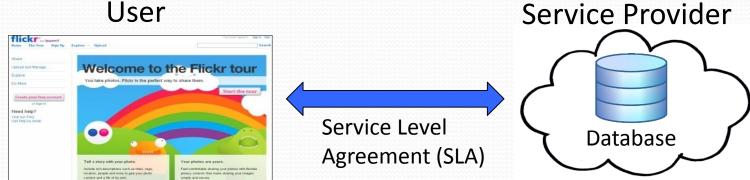
# Towards Predicting Query Execution Time for Concurrent and Dynamic Database Workloads

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## Background

Database as a service (DaaS)
 User



How can we predict the execution time of a query before it runs?

- Other applications
  - Admission control, query scheduling, progress monitoring, system sizing, etc.

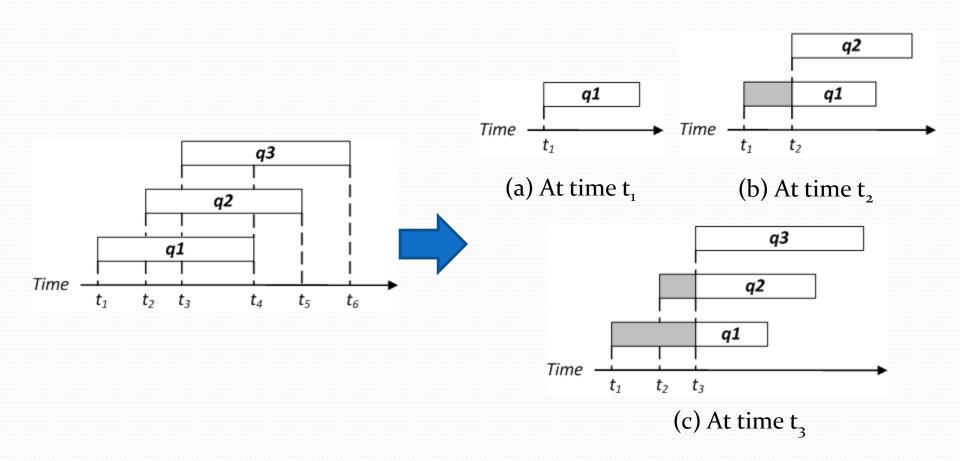
#### **Motivation**

- Previous work
  - Standalone workloads [ICDE'09, ICDE'12, VLDB'12, ICDE'13]
  - Concurrent but static workloads [EDBT'11, SIGMOD'11]
- Real world database workloads
  - *Dynamic*: queries are not known *a priori*.

Our goal: Workloads that are both concurrent and dynamic!

## **Problem Definition**

At time  $t_i$ , predict the (*remaining*) execution time for each query in the mix.



## Main Idea

PostgreSQL's cost model

$$C = n_s c_s + n_r c_r + n_t c_t + n_i c_i + n_o c_o$$

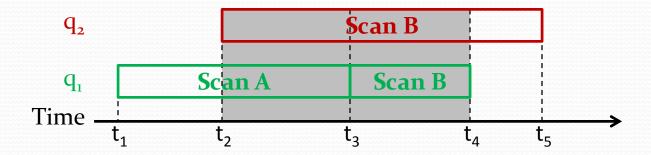
Cost Unit	Value
$c_s$ : seq_page_cost	1.0
$c_r$ : rand_page_cost	4.0
$c_t$ : cpu_tuple_cost	0.01
$c_i$ : cpu_index_tuple_cost	0.005
c <sub>o</sub> : cpu_operator_cost	0.0025

Wentao Wu, Yun Chi, Shenghuo Zhu, Junichi Tatemura, Hakan Hacigümüs, and Jeffrey F. Naughton, *Predicting query execution time: are optimizer cost models really unusable?* In ICDE, 2013.

- The n's won't change!
  - Even if the query is running together with other queries
- Only the c's will change!

## Main Idea (Cont.)

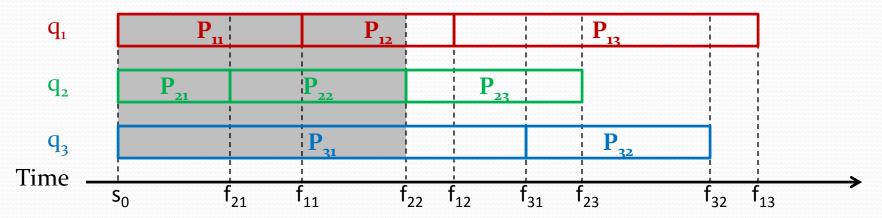
• The *c*'s change at boundaries of *phases* during execution.



- What should be a *phase* of a query?
  - A phase = an *operator*?
  - Pipelining of operators => interleaved phases!
- We define a phase to be a *pipeline*.

## **Progressive Predictor**

- The execution of a query mix can then be thought of as
  - multiple stages of mixes of pipelines



8 *mixes of pipelines* during the execution of the 3 queries



We need a predictor for a mix of pipelines!

## **Predictors for A Mix of Pipelines**

- An approach based on machine learning
- An approach based on analytic models

## **Machine-Learning Based Approach**

- CPU and I/O interactions are different
  - Separate the modeling of CPU and I/O interactions.
- Modeling CPU interactions (*m* CPU cores, *n* pipelines)
  - If  $m \ge n$ , then  $c_{cpu} = \tau$  (same as the standalone case).
  - If m < n, then  $c_{cpu} = \frac{n}{m} \cdot \tau$ , assuming fair sharing.
- Modeling I/O interactions
  - Use machine learning.

## **Modeling I/O Interactions**

- Previous work
  - Assume that *all* the queries are known beforehand.
  - Run *sample mixes* and *train* a regression model.
  - Apply to static workloads (e.g., report generation).
- It cannot be directly applied to *dynamic* workloads.
  - We do not know all the queries to be run.

## **Modeling I/O Interactions (Cont.)**

**Observation** #1. Fixed DBMS => Fixed # scan operators

Observation #2.

Fixed DBMS + Fixed DB schema => Fixed # scan types

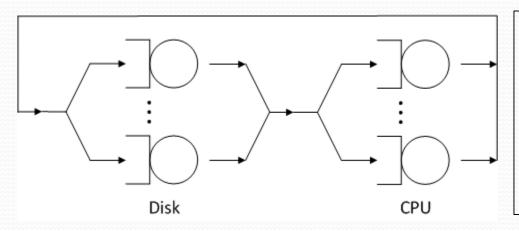
scan type = scan operator + table name (e.g., *index scan* over *orders*)

We can apply the machine-learning idea to *scan types* instead of query templates!

NB: Additional I/O's (e.g., from hash-joins) => Additional scans

## **Analytic-Model Based Approach**

- Problem of the machine-learning based approach
  - Infinitely many unknown queries/query mixes
- Model the system with a queueing network.



- 1. Two service centers: Disk, CPU.
- 2. Pipelines *are customers*.
- 3. The c's are the *residence times per visit* of a customer.

## **Analytic-Model Based Approach (Cont.)**

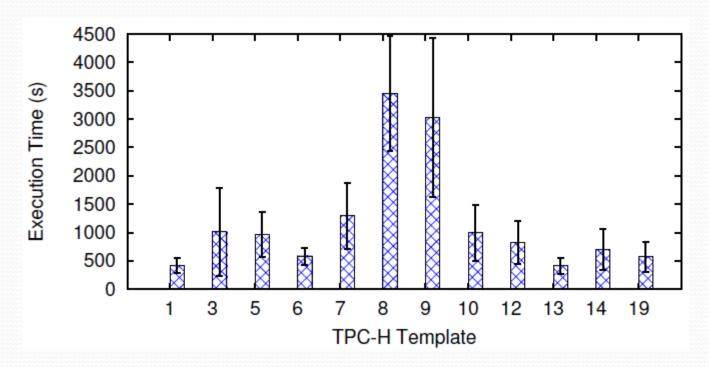
- The effect of the buffer pool
  - The buffer pool *cannot* be modeled as a *service center*.
- We used a model [SIGMETRICS'92]
  - For the "*clock*" algorithm used by PostgreSQL

## **Experimental Settings**

- PostgreSQL 9.0.4, Linux 3.2.0-26
- TPC-H 10GB database
- Multiprogramming Level (MPL): 2 to 5
- Dual Intel 1.86GHz CPU, 4GB of memory

## Workloads

- 2 TPC-H workloads & 3 micro-benchmarking workloads
  - TPC-H2: 12 templates (Q7, 8, 9 are more expensive)
  - MB1: heavy index scans with different data sharing rate.

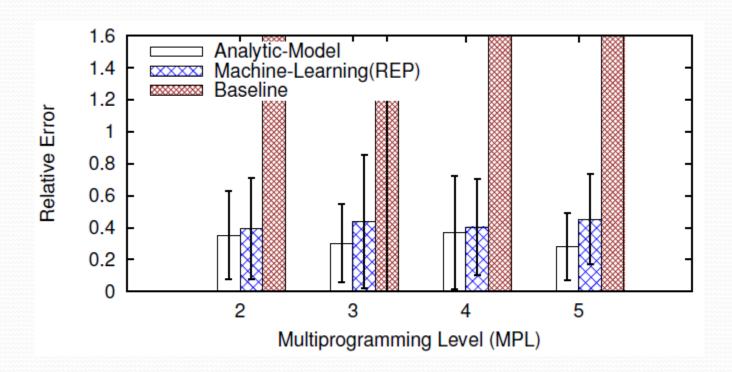


## **Baseline Approach**

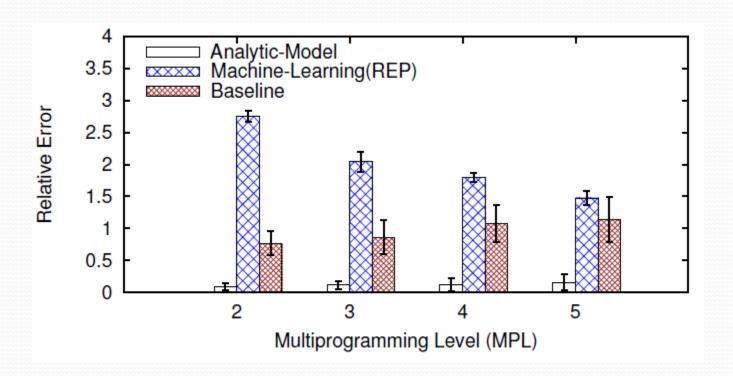
- For each query in the mix
  - Predict its time by using the single-query predictor.
- *Multiply* it with the MPL as the prediction.
- Intuitively, this approach *ignores* the impact of query interactions.

## **Prediction Accuracy**

On TPC-H2 (with more expensive templates)



On MB1 (mixes of heavy index scans)



## Overhead

- Both approaches
  - need to *calibrate* the optimizer's cost model.
- The machine-learning based approach
  - needs a training stage (usually 2 days)
- The analytic-model based approach
  - needs to *evaluate* the analytic models (usually < 120 ms)

### Conclusion

- To the best of our knowledge, we are the first to
  - publish a technique to predict query execution times for workloads that are *both* concurrent and dynamic;
  - present a systematic exploration of its performance.
- We use *analytic-model* based approaches in addition to machine learning as used by previous work.
- We show that our analytic-model based approach can have *competitive* and often *better* prediction accuracy than a (*new*) machine-learning based approach.

## Q&A

• Thank you☺

## **Backup Slides**

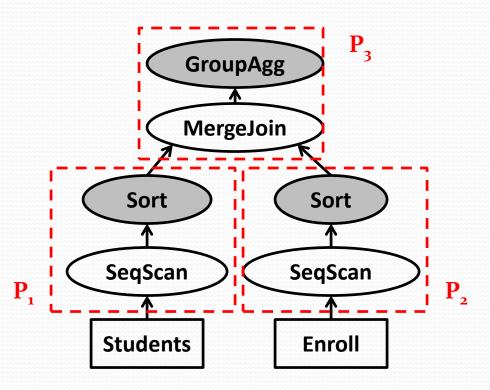
## From A Query Plan to Pipelines

#### **Tables:**

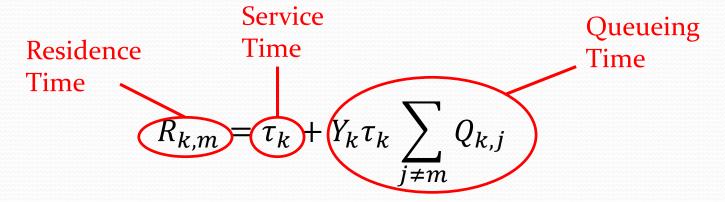
Students (sid, sname) Enroll (sid, cid, grade)

**SELECT** S.sname, **AVG** (grade) **AS** gpa **FROM** Students S, Enroll E **WHERE** S.sid = E.sid **GROUP BY** S.sname

The example query plan contains 3 pipelines with the execution order:  $P_1P_2P_3$ .



## **More Details of Queueing Network**



$$Q_{k,j} = \frac{V_{k,j} R_{k,j}}{\sum_{i=1}^{K} V_{i,j} R_{i,j}} \quad \text{(Queue Length)}$$

$$Y_k = \frac{1}{C_k} \rho^{4.464(C_k^{0.676} - 1)} \quad \text{(Correction Factor, } Y_k = 1 \text{ if } C_k = 1)$$

$$\rho_k = \frac{\tau_k}{C_k} \sum_{j=1}^{K} \frac{V_{k,j}}{\sum_{i=1}^{K} V_{i,j} R_{i,j}} \quad \text{(Utility)}$$

## **More Details of Buffer-Pool Model**

- Recall the "clock" algorithm
  - The buffer pages are organized in a circular queue.
  - On a buffer miss, the clock pointer scans the pages and chooses the first page with count o for replacement.
  - If a page has a count greater than o, then the count is decreased by 1.
  - On a buffer hit, the counter of the page is reset to its maximum value.

# More Details of Buffer-Pool Model (Cont.)

Model the "clock" algorithm by using a Markov chain.

$$\sum_{p=1}^{P} S_p \left( 1 - \frac{1}{\left( 1 + \frac{n_0}{m} \frac{r_p}{S_p} \right)^{l_p + 1}} \right) - B = 0 \quad \text{(steady-state condition)}$$

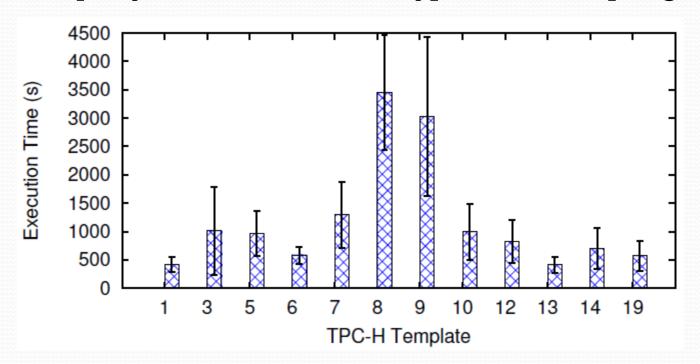
$$N_p = S_p \left( 1 - \frac{1}{\left( 1 + \frac{n_0}{m} \frac{r_p}{S_p} \right)^{l_p + 1}} \right) \quad (\text{\# pages in the buffer}) \qquad h_p = \frac{N_p}{S_p} \quad (\text{buffer hit rate})$$

$$m_p = 1 - h_p = \left[ \left( 1 + \frac{n_0}{m} \frac{r_p}{S_p} \right)^{l_p + 1} \right]^{-1} \quad (\text{buffer miss rate})$$

expected # accesses to a page in the partition *p* 

## Workloads

- TPC-H workloads
  - TPC-H1: 9 light to moderate TPC-H query templates
  - TPC-H<sub>2</sub>: TPC-H<sub>1</sub> + 3 more expensive templates (Q<sub>7</sub>, 8, 9)
  - Create query mixes with Latin Hypercube Sampling (LHS).

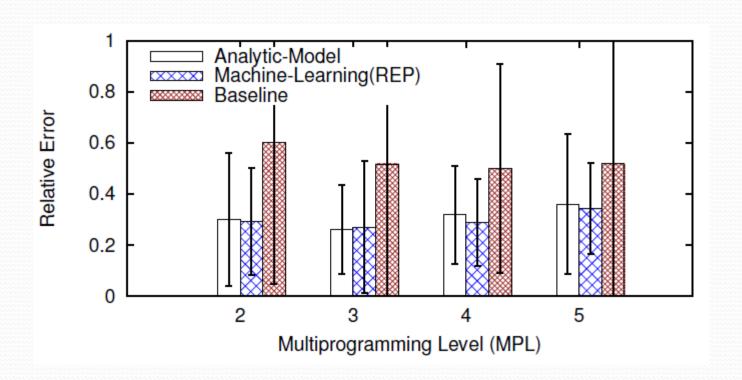


## **Workloads (Cont.)**

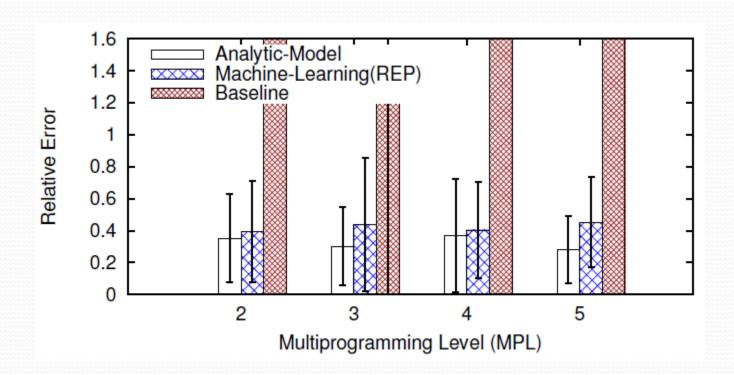
- Micro-benchmarking workloads
  - MB1: mixes of *heavy index scans* with different data sharing rate.
  - MB2: mixes mingled with both *sequential scans* and *index scans*.
  - MB<sub>3</sub>: similar to MB<sub>2</sub>, but we replace the scans with real *TPC-H queries* that contain the corresponding scans.

## **Prediction Accuracy**

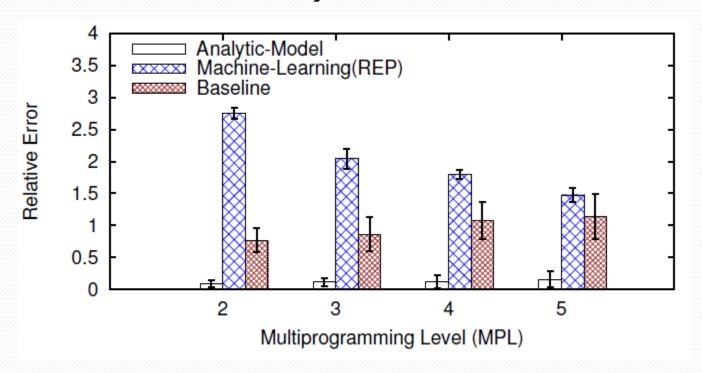
On TPC-H1 (light to moderate templates)



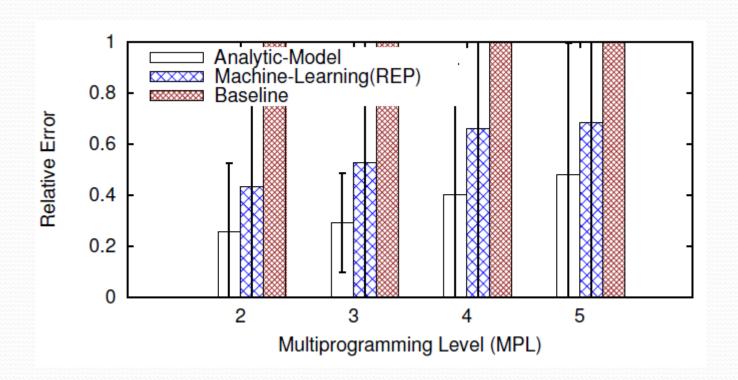
On TPC-H2 (with more expensive templates)



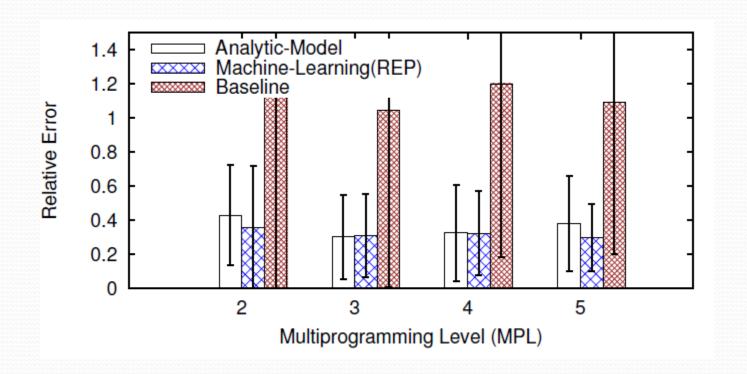
On MB1 (mixes of heavy index scans)



On MB2 (mixes of sequential scans/index scans)

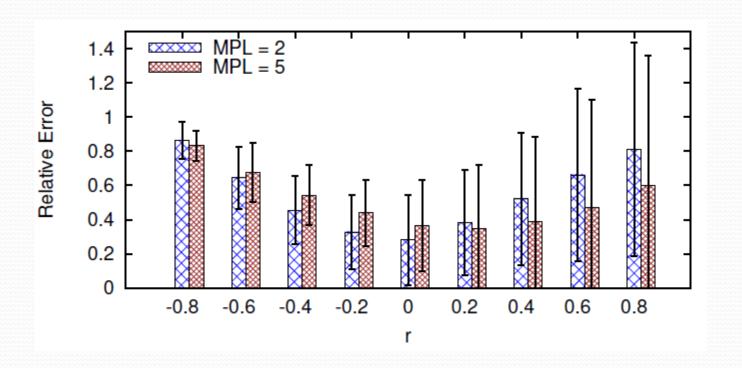


On MB3 (similar to MB2, but with TPC-H queries)



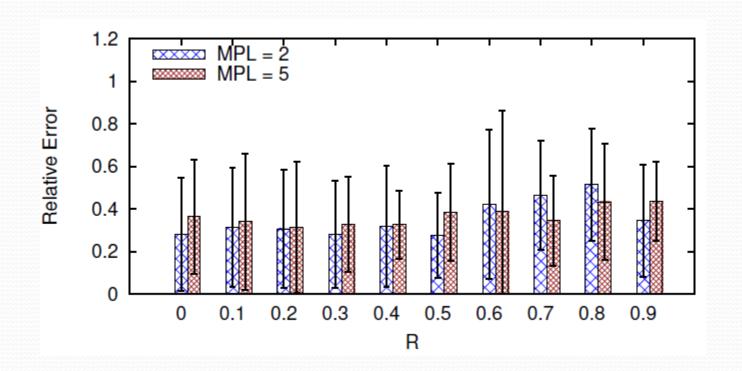
# Sensitivity to Errors in Cardinality Estimates

• On TPC-H<sub>1</sub>, with *biased* errors



# Sensitivity to Errors in Cardinality Estimates (Cont.)

On TPC-H<sub>1</sub>, with unbiased errors



# Additional Overhead (Analytic-Model Based Approach)

